# Appendix A from N. I. Wisnoski et al., "Dormancy in Metacommunities" (Am. Nat., vol. 194, no. 2, p. 000)

### **Simulation Modeling: Expanded Methods**

To examine the effects of dispersal and dormancy on metacommunity diversity, we created simulation models. In these simulations, we modeled population growth under different types of environmental variability and then analyzed diversity along gradients of dispersal using the parameters listed in table A1. All simulations and analyses were performed in R (R Core Team 2018). All code is provided in a zip file (available online) and is also available on GitHub (https://github.com/LennonLab/MCdorm).<sup>1</sup>

#### **Population Growth in the Metacommunity**

We adapted the metacommunity model of Shoemaker and Melbourne (2016), which models metacommunity dynamics in discrete time, with global dispersal occurring following a round of local population growth. Prior to dispersal, within-patch population growth follows the Beverton-Holt (1957) model, where population growth is the product of the species intrinsic growth rate, the current population size, and a measure of intra- and interspecific competition:

$$N_{t+h,jx} = R_{jx}N_{t,jx}\frac{1}{1+\sum_{k}\alpha_{k}N_{t,kx}},$$

where  $N_{t+h,jx}$  is the population density of species *j* in patch *x*;  $R_{jx}$  is the intrinsic, density-independent growth rate of species *j* in patch *x*;  $N_{t,jx}$  is the current population size; and

$$\frac{1}{1+\sum_k \alpha_k N_{t,kx}}$$

is a measure of competition as the sum of competition coefficients,  $\alpha_k$ , weighted by the abundances,  $N_{t,kx}$ , of all species k in the patch.

To regulate fitness differences in species across the heterogeneous landscape, we made  $R_{jx}$  a Gaussian function:

$$R_{jx} = R_{\max} \exp\left(\frac{\left(E_{t,x} - E_{j,\text{opt}}\right)^2}{2 \times \sigma_{j,\text{nb}}^2}\right),$$

where  $E_{j,opt}$  is species j's environmental niche optimum,  $\sigma_{j,nb}^2$  is its niche breadth, and  $E_{t,x}$  is the current environmental condition in patch x at time t. Thus, increasing mismatch between species optima and the environment will lead to suboptimal growth during the time step.

Dispersal was global, meaning that all patches received an equal proportion of immigrants at each time step, and it occurred after local population growth. We introduced a simple dormancy transition between the active community and the seed bank that was modeled by a constant rate of entering and exiting dormancy, as might be expected under bet hedging. With dispersal and dormancy included, the full metacommunity model then becomes

$$N_{t+1,jx} = N_{t+h,jx} + d_j \left( \sum_{z \neq x} \frac{N_{t+h,jz}}{p-1} - N_{t+h,jx} \right) + \beta D_{t+h,jx} - \delta N_{t+h,jx},$$
$$D_{t+1,jx} = D_{t+h,jx} (1-m) + \gamma \times d_j \left( \sum_{z \neq x} \frac{D_{t+h,jz}}{p-1} - D_{t+h,jx} \right) - \beta D_{t+h,jx} + \delta N_{t+h,jx},$$

1. Code that appears in *The American Naturalist* is provided as a convenience to readers. It has not necessarily been tested as part of peer review.

where  $N_{t+1,jx}$  is the population size of the active population following population growth and  $D_{t+1,jx}$  is the population size of the dormant population of species *j* in patch *x*. The net effects of dispersal are determined for each species *j* as the sum across the total number of patches *p*, where immigrants arrive at a rate  $d_j$  from all patches  $z \neq x$  where *x* is the focal patch. The transitions between active  $N_{t+1,jx}$  and dormant  $D_{t+1,jx}$  populations in the metacommunity depend on the parameters  $\beta$ , which is the activation rate of dormant propagules;  $\delta$ , which is the rate of entering dormancy; and *m*, which is the mortality rate of dormant propagules. Dispersal-dormancy covariation is modeled at the extreme case of whether dormant propagules are able to disperse or not, with  $\gamma$  representing the covariation.

#### **Environmental Variability**

To analyze how different types of environmental variability influence the importance of dormancy in the metacommunity, we examined three simple cases: static environments, static environments with local disturbances, and perfectly spatiotemporally asynchronous environments. Environmental conditions were modeled as a single environmental variable with a range of [0, 1], which corresponds to species optima in the metacommunity.

Environmentally static landscapes can allow source-sink dynamics and mass effects to arise because the patches where species optima are well matched to the environment are able to serve as source patches. Spatial heterogeneity was created by setting each patch to a value in the range [0, 1]. This environmental gradient from 0 to 1 was evenly partitioned among all p patches, ensuring that each species was the best competitor in at least one patch.

When there are local disturbances, some form of recolonization is required for species to persist in the landscape, from either spatial dispersal or temporal dispersal. We implemented a local disturbance in the way of Shoemaker and Melbourne (2016), where disturbance followed a Bernoulli distribution for each patch independently according to an extinction rate, *e*. We imposed disturbance by removing all individuals present in the active patch but not the dormant patch.

When the optimal environmental conditions fluctuate in both space and time, some degree of spatial or temporal dispersal is necessary for species to coexist. We enforced perfect asynchrony in spatiotemporal environmental fluctuations following Loreau et al. (2003). Here, environmental fluctuations oscillate according to a sine wave where each patch is equally out of phase with all other patches, such that the environmental conditions in patch x,  $E_x$ , is determined by

$$E_x = \frac{1}{2} \left[ \sin \left( E_{x,0} + \frac{2\pi t}{T} \right) + 1 \right],$$

where  $E_{x,0}$  is the starting environmental condition for each patch (partitioned equally, as above in the static landscape), *t* is the current time step, and *T* is the period of oscillations, such that longer periods converge on the static model and shorter periods fluctuate rapidly enough to converge on a single average patch of intermediate quality.

#### **Diversity Partitioning Analysis**

Our partitioning of diversity across spatial scales into local ( $\alpha$ ), regional ( $\gamma$ ), and among-site ( $\beta$ ) diversity follows the multiplicative approach of Whittaker (1972), as modified by Jost (2007) and implemented in the R package vegetarian (Charney and Record 2012). Therefore, the relationship among  $\alpha$ ,  $\beta$ , and  $\gamma$  is

$$\beta = \frac{\gamma}{\bar{\alpha}},$$

where  $\gamma$  is diversity measured on the scale of the entire metacommunity and  $\bar{\alpha}$  is the average diversity at the local scale. In this analysis, diversity is measured in units of species equivalents or Hill numbers at the order (q = 1), which corresponds to the number of equally abundant species needed to reach the observed value of diversity measured by the Shannon index.

Parameter	Symbol	Value(s)
No. sites	р	20
No. species	k	20
Disturbance frequency	е	[0, .001]
Environmental period	Т	1,000
Niche breadth	$\sigma^2$	.5
Intrinsic growth rate	$R_{ m max}$	1.2
Strength of competition	$lpha_k$	$4 \times 10^{-4}$
Dormant decay rate	т	$1 \times 10^{-6}$
Dormancy rate	δ	.7
Reactivation rate	β	.1
Dispersal-dormancy covariation	$\gamma$	[0, 1]

Table A1: Model parameters for simulations in box 3 and appendix A



Figure A1: Dispersal-diversity relationships with (dark solid line) and without (dashed light line) dormancy in a spatially heterogeneous but temporally static environment without disturbances. With negative dispersal-dormancy covariation, dormant propagules are simply lost to the seed bank because they do not disperse. As a result, dormancy does not improve persistence under temporally static conditions. With positive dispersal-dormancy covariation, dormancy maintains  $\alpha$ -diversity at low dispersal rates but also rapidly increases the onset of homogenization.



**Figure A2:** Dispersal-diversity relationships with (dark solid line) and without (dashed light line) dormancy in an environment that exhibits asynchrony in space and time. With negative dispersal-dormancy covariation (i.e., a trade-off), dormancy increases  $\alpha$ - and  $\gamma$ -diversity and maintains  $\beta$ -diversity under dispersal limitation (i.e., at low dispersal rates), but it cannot protect against homogenization (diversity plummets at the same rate with increasing dispersal, regardless of dormancy). With positive dispersal-dormancy covariation, dormancy lowers the dispersal rate that maximizes  $\alpha$ -,  $\beta$ -, and  $\gamma$ -diversity; increases maximum  $\alpha$ - and  $\gamma$ -diversity; and also increases the homogenizing effects of dispersal. The metacommunity with dormancy is homogenized (i.e., one species dominates) at dispersal rates that were limiting in the absence of dormancy.

# Appendix B from N. I. Wisnoski et al., "Dormancy in Metacommunities" (Am. Nat., vol. 194, no. 2, p. 000)

### Bromeliad Community Trait Data Analysis: Expanded Methods

To demonstrate a potential approach to assessing dispersal-dormancy covariation in a metacommunity context, we analyzed a large trait data set of taxa commonly operating as a metacommunity. Twelve functional traits were measured for 852 aquatic invertebrate taxa that live in the pools of water that accumulate in bromeliad plants (Céréghino et al. 2018). The data are available for download from the Knowledge Network for Biocomplexity at https://doi.org/10.5063/F1VD6WMF (Céréghino 2018). Of these 852 taxa, 609 had measurements for dispersal and dormancy. We used this subset of taxa for the analysis.

The traits were measured categorically as "none," "low," "intermediate," and "high" capacities for three traits: active dispersal, passive dispersal, and dormancy. We independently compared dormancy capacities with capacities for active and passive dispersal, and we computed the fraction of taxa that fit into all possible combinations of none, low, medium, and high for both dispersal and dormancy.

We first standardized the trait measurements by converting the ordinal factors into ranks, assigning ties to average values (Podani 2005; Céréghino et al. 2018), using the decostand function of the R package vegan (Oksanen et al. 2019). We used *c*-means fuzzy clustering (with k = 3) to cluster the taxa into different dispersal-dormancy strategies (tables B1–B4; Kaufman and Rousseeuw 1990; Borcard et al. 2018), using the R package cluster (Maechler et al. 2018). We performed principal component analysis (PCA) on the rank-transformed trait data to reduce the dimensionality of the trait space, and we extracted the PCA loadings to explain the divergence among clusters. Taxa belonging to each cluster are listed in tables B1–B4.

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Taxon	n
Chironomidae	38
Orthocladiinae	15
Tanypodinae	14
Platyhelminthes	12
Polypedilum	10
Hirudinea	9
Oligochaeta	8
Tanytarsus	5
Chironominae	4
Larsia	4
Metriocnemus	4
Chironomus	3
Elmidae	3
Elpidium	3
Monopelopia	3
Sphaeroceridae	3
Copepoda	2
Corynoneura	2
Dero	2
Dero superterrenus	2
Elpidium bromeliarum	2
Limnophyes	2
Naididae	2
Phytotelmatocladius delarosai	2
Pristina	2
Tanytarsus bromelicola	2
Aelosoma	1
Alona bromelicola	1

Table B1: Taxa primarily belonging in cluster 1

Taxon	n
Annelida	1
Apocyclops	1
Aulophorus superterrenus	1
Boreochlus	1
Bryocamptus	1
Callistocypris mckenziei	1
Canacidae	1
Candonopsis kingsleyi	1
Ceriodaphnia	1
Ceriodaphnia laticaudata	1
Chironominae or Tanypodinae	1
Chironomini	1
Daphnidae	1
Elpidium maracaoensis	1
Eukiefferiella	1
Gravatamberus	1
Harnischia	1
Harpacticoida	1
Latinopsis	1
Paratanytarsus	1
Podonominae	1
Polypedilum kaingang	1
Polypedilum marcondesi	1
Pristina osborni	1
Rheocricotopus	1
Smittia	1
Stempellinella	1
Stenochironomus atlanticus	1
Tanytarsini	1

Note: These taxa have high capacities for passive dispersal. Their capacities for dormancy, however, span a range of values. Some are high, others low.

Table B2:	Subset of cluster	1 taxa	with h	nigh capac	cities for	· dis-
persal and	passive dispersal					

Taxon	n
Copepoda	2
Alona bromelicola	1
Apocyclops	1
Bryocamptus	1
Ceriodaphnia	1
Ceriodaphnia laticaudata	1
Daphnidae	1
Harpacticoida	1

Table B3:	Taxa	nrimarily	helonging	in	cluster	2
Table D5.	runu	printarity	oonging	111	cruster	-

Taxon	n
Diptera	42
Culex	28
Wyeomyia	24
Ceratopogonidae	22
Psychodidae	19
Toxorhynchites	17
Ephydridae	15

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Taxon	п
Bezzia	1.
Telmatoscopus	:
Culicidae	,
Forcipomyia	
Culicoides	:
Pericoma	:
Anophelinae	:
Culex albipes	
Culex aphylactus	
Culex imitator	
Culicinae	
Sphaeromias	
Trichoptera	
Alepia apexalba	
Alepia zavortinkii	
Anopheles bellator	
Anopheles cruzzi	
Anopheles homunculus	
Anopheles kompil	
Anopheles neivai	
Anopheles, Wyeomia, or Culex	
Culex antillummagnorum	
Culex bisulcatus	
Culex cartoca Culex daumastosampa	
Culex daumastocampa janningsi or rejector	
Culex daumastocumpa, jenningsi, 61 rejector Culex daumasturus	
Culex davisi Culex davisi	
Culex hedvs	
Culex inimitabilis	
Culex ienningsi	
Culex perfectus	
Culex rejector	
Culex shonei	
Culex sinhanulatus	
Culex stonei	
Culex worontzowi	
Dasvhelea	
Dasyheleniae	
Haemagogus	
Limatus durhami	
Nematocera	
Orthopodomyia	
Phylloicus bromeliarum	
Psychoda romeroii	
Runchomyia frontosa	
Stilobezzia	
Toxorhynchites guadeloupensis	
Toxorhynchites haemorroidalis	
Toxorhynchites portoricensis	
Toxorhynchites purpureus	
Toxorhynchites solstitiales	
Toxorhynchites theobaldi	
Toxorhynchites trichopygus	
Wyeomyia abebela	
Wyeomyia abebela, circumcincta, or melanopus	
Wyeomyia aphobema	
Wyeomyia circumcincta	

Table B3 (Continued)

Taxon	n
Wyeomyia edwardsi	1
Wyeomyia edwardsi, mulhensi, or theobaldi	1
Wyeomyia forattinii	1
Wyeomyia forcipenis	1
Wyeomyia greyii	1
Wyeomyia melanopus	1
Wyeomyia mitchellii	1
Wyeomyia mulhensi	1
Wyeomyia pallidoventer	1
Wyeomyia palmata	1
Wyeomyia pseudopecten	1
Wyeomyia splendida	1
Wyeomyia theobaldi	1

Note: These taxa have high capacities for dormancy and low capacities for passive dispersal. They typically have some capacity for active dispersal.

Table B4: Taxa primarily belonging in cluster 3

Taxon	п
Cecidomyiidae	22
Forcipomyiinae	18
Syrphidae	18
Brachycera	17
Tipulidae	17
Coleoptera	16
Tabanidae	16
Scirtidae	15
Heteroptera	14
Atrichopogon	13
Corethrella	13
Empididae	11
Dolichopodidae	10
Copestylum	9
Trentepohlia	9
Dytiscidae	8
Hydrophilidae	7
Limoniinae	7
Sciaridae	6
Phoridae	5
Limoniidae	4
Stratiomyidae	4
Aedes	3
Corethrellidae	3
Meromacrus	3
Olbiogaster	3
Scirtes	3
Brachypremna	2
Ceratopogoninae	2
Coenagrionidae	2
Eristalinae	2
Eristalis	2
Hermetia	2
Lampyridae	2
Leptagrion andromache	2
Leptoconopinae	2
Microvelia	2
Polyphaga	2

Table B4 (Continued)

Taxon	n
Ptilodactylidae	2
Scatopsidae	2
Sphaeridiinae larva	2
Thaumaleidae	2
Aedes albonictus	1
aff. Drosophilidae	1
Anisopodidae	1
Aulaciøaster	1
Axymviidae	1
Bromeliagrion	1
Celina	1
Cheilotrichia	1
Contacyphon	1
Copelatus bimaculatus	1
Corethrella belkini	1
Corethrella fulva	1
Corethrella infuscata	1
Ctenophorinae	1
Fidena	1
Fidena rufopilosa	1
Gerridae	1
Hexatominae	1
Lejops barbiellinii	1
Leptagrion	1
Leptagrion bocainense	1
Leptagrion bocainense or macrurum	1
Leptagrion elongatum	1
Leptagrion macrurum	1
Leucotabanus	1
Limonia	1
Limoniini	1
Mecistogaster modesta	1
Mesoveliidae	1
Ocyptamus	1
Omicrus ingens adult	1
Omicrus ingens larva	1
Ormosia	1
Palpada	1
Paravelia	1
Periscelididae	1
Pipiza	1
Quichuana	1
Rhabdomastrix	1
Sphaeridiinae adult	1
Sphaerodinae	1
Stibasoma bicolor	1
Stibasoma fulvohirtum	1
Tipula	1
Tipulinae	1
Trentepohlia dominicana	1
Veliidae	1
Xilota	1
Zigoptera	1

Note: These taxa have low capacities for dormancy and relatively low capacities for active dispersal.